The following pages contain references for use during the exam: tables containing the x86 instruction set (covered so far) and condition codes. You do not need to submit these pages when you finish your exam.

Remember that:

- Most instructions can have at most one memory operand.
- Brackets [ ] around a register name, immediate, or combination of the two indicates an effective address.
o Example: MOV AX, $[0 \times 10] \ddagger$ contents of address $0 \times 10$ moved to AX
- Parentheses around an address mean "the contents of memory at this address".

0 Example: $(0 x 10) \ddagger$ the contents of memory at address $0 x 10$

| Category | Instruction | Example | Meaning |
| :---: | :---: | :---: | :---: |
| Data transfer | Move | MOV AX, BX | AX = BX |
|  | Move \& sign-extend | MOVSX EAX, DL | ```EAX = DL, sign-extended to 32 bits``` |
|  | Move and zero-extend | MOVZX EAX, DL | $\begin{aligned} & \text { EAX }=\text { DL, zero-extended } \\ & \text { to } 32 \text { bits } \end{aligned}$ |
|  | Exchange | XCHG AX, BX | Swap contents of AX, BX |
|  | Load effective address | LEA AX, [BX+SI+0x10] | AX = BX + SI + 0x10 |
| Arithmetic | Add | ADD AX, BX | $A X=A X+B X$ |
|  | Add with carry | ADC AX, BX | AX $=\mathrm{AX}+\mathrm{BX}+\mathrm{CF}$ |
|  | Increment | INC [EDI] | $(E D I)=(E D I)+1$ |
|  | Subtract | SUB AX, [0x10] | AX = AX - (0x10) |
|  | Subtract with borrow | SBB AX, [0x10] | $A X=A X-(0 \times 10)-C F$ |
|  | Decrement | DEC CX | CX $=$ CX - 1 |
|  | Negate (2's complement) | NEG CX | CX $=-C X$ |
|  | Multiply Unsigned: MUL <br> (all operands are nonnegative) <br> Signed: IMUL <br> (all operands are signed integers in 2's complement form) | IMUL BH IMUL CX <br> MUL DWORD PTR [0x10] | $\begin{aligned} & A X=B H * A L \\ & (D X, A X)=C X * A X \\ & (E D X, E A X)=(0 \times 10) * E A X \end{aligned}$ |
|  | Divide <br> Unsigned: DIV <br> (all operands are nonnegative) <br> Signed: IDIV <br> (all operands are signed integers in 2's complement form) | DIV BH <br> IDIV CX <br> DIV EBX | $\mathrm{AL}=\mathrm{AX} / \mathrm{BH}$ (quotient) $\mathrm{AH}=\mathrm{AX} \% \mathrm{BH}$ (remainder) $\mathrm{AX}=\mathrm{EAX} / \mathrm{CX}$ (quotient) $\mathrm{DX}=\mathrm{EAX} \% \mathrm{CX}$ (remainder) $\mathrm{EAX}=(E D X, E A X) / \mathrm{EBX}(\mathrm{Q})$ $E D X=(E D X, E A X) \% E B X(R)$ |

