

EECE.2160: ECE Application Programming

Recitation Problems: Functions

The following problems, most of which are taken directly from the textbook, will be covered in recitation during the week of 10/17:

1. Write a function `check_val(x, y, n)` that returns 1 if both `x` and `y` fall between 0 and `n - 1`, inclusive. The function should return 0 otherwise. Assume that `x`, `y`, and `n` are all of type `int`.
2. Write a function `num_digits(n)` that returns the number of digits in `n` (a positive integer). *Hint:* To determine the number of digits in a number `n`, divide it by 10 repeatedly. When `n` reaches 0, the number of divisions indicates how many digits `n` originally had.
3. Write a function `digit(n, k)` that returns the k^{th} digit (from the right) in `n` (a positive integer). For example, `digit(829, 1)` returns 9, `digit(829, 2)` returns 2, and `digit(829, 3)` returns 8. If `k` is greater than the number of digits in `n`, have the function return 0.

4. Write the following function:

```
void split_time(int total_sec, int *hr, int *min, int *sec);
```

`total_sec` is a time represented as the number of seconds since midnight. `hr`, `min`, and `sec` are pointers to variables in which the function will store the equivalent time in hours (0-23), minutes (0-59), and seconds (0-59), respectively.

5. Write the following function:

```
void reduceFraction(int num, int den, int *rNum, int *rDen);
```

This function takes a fraction represented by numerator `num` and denominator `den`, calculates the greatest common divisor (GCD) of those numbers to reduce the fraction, and stores the reduced numerator and denominator in integers pointed to by `rNum` and `rDen`. For example, `reduceFraction(15, 60, &r, &d)` would reduce the fraction 15/60 to 1/4, storing 1 in `r` and 4 in `d`. Assume the denominator is always non-zero.

The algorithm for finding the GCD of two numbers, `x` and `y`, is as follows:

- a. If `y` is 0, `x` is the GCD.
- b. Otherwise, calculate `r`, the remainder of `x / y`.
- c. Let `x = y`, and `y = r`. (In other words, `x` holds the “old” value of `y`, and the new value of `y` is the remainder from Step b)
- d. Return to Step a.